Nikita has a line of $N$ tiles indexed from 0 to $N-1$. She wants to paint them to match a color configuration, $C$, which is comprised of 2 colors: $\operatorname{Red}(\mathrm{R})$ and Blue(B).

In one stroke, Nikita can paint 1 or more adjacent tiles a single color. After she finishes painting, each tile $i$ should be painted color $C_{i}$.

It should be noted that it is not allowed to apply more than 1 stroke on a tile.
Given the required color configuration, find and print the minimum number of strokes required for Nikita to paint all $N$ tiles.

Note: In a line of tiles, 2 tiles with the indices $i$ and $j$ are considered adjacent only if $|j-i|=1$.

## Input Format

The first line contains a single integer, $N$, denoting the number of tiles to be painted.
The second line contains a string, $C$, denoting the desired color configuration.
For each character $C_{i}$ in $C$ :

- If $C_{i}=$ " R ", it means the $i^{\text {th }}$ tile must be painted red.
- If $C_{i}=$ "B", it means the $i^{\text {th }}$ tile must be painted blue.


## Constraints

- $1 \leq N \leq 1000$
- $C_{i} \in\{" \mathrm{R} ", " \mathrm{~B} "\}$


## Output Format

Print the minimum number of strokes required to paint all $N$ tiles in the desired color configuration.

## Sample Input 0

5
RRRRR

## Sample Output 0

1

## Sample Input 1

3

## Sample Input 2

```
5
BRBRB
```


## Sample Output 2

5

## Explanation

Sample Case 0:
Nikita will paint all 5 consecutive tiles red in a single stroke:


Sample Case 1:
Nikita will need 3 strokes to paint all 5 tiles:


Tiles: After 3 Strokes (Final State)


