

Two words are *anagrams* of one another if their letters can be rearranged to form the other word.

Given a string, split it into two contiguous substrings of equal length. Determine the minimum number of characters to change to make the two substrings into anagrams of one another.

**Example**

*s* = abccde

Break *s* into two parts: 'abc' and 'cde'. Note that all letters have been used, the substrings are contiguous and their lengths are equal. Now you can change 'a' and 'b' in the first substring to 'd' and 'e' to have 'dec' and 'cde' which are anagrams. Two changes were necessary.

**Function Description**

Complete the *anagram* function in the editor below.

*anagram* has the following parameter(s):

- *string s*: a string

**Returns**

- *int*: the minimum number of characters to change or -1.

**Input Format**

The first line will contain an integer, *q*, the number of test cases.  
Each test case will contain a string *s*.

**Constraints**

- $1 \leq q \leq 100$
- $1 \leq |s| \leq 10^4$
- *s* consists only of characters in the range `ascii[a-z]`.

**Sample Input**

```
6
aaabbb
ab
abc
mnop
xyyx
xaxbbbx
```

**Sample Output**

```
3
1
```

-1  
2  
0  
1

## Explanation

*Test Case #01:* We split  $s$  into two strings  $S1='aaa'$  and  $S2='bbb'$ . We have to replace all three characters from the first string with 'b' to make the strings anagrams.

*Test Case #02:* You have to replace 'a' with 'b', which will generate "bb".

*Test Case #03:* It is not possible for two strings of unequal length to be anagrams of one another.

*Test Case #04:* We have to replace both the characters of first string ("mn") to make it an anagram of the other one.

*Test Case #05:*  $S1$  and  $S2$  are already anagrams of one another.

*Test Case #06:* Here  $S1 = "xaxb"$  and  $S2 = "bbxx"$ . You must replace 'a' from  $S1$  with 'b' so that  $S1 = "xbxb"$ .