You are given an integer $n$. A set, $S$, of triples $\left(x_{i}, y_{i}, z_{i}\right)$ is beautiful if and only if:

- $0 \leq x_{i}, y_{i}, z_{i}$
- $x_{i}+y_{i}+z_{i}=n, \forall i: 1 \leq i \leq|S|$
- Let $X$ be the set of different $x_{i}$ 's in $S, Y$ be the set of different $y_{i}$ 's in $S$, and $Z$ be the set of different $z_{i}$ in $S$. Then $|X|=|Y|=|Z|=|S|$.

The third condition means that all $x_{i}$ 's are pairwise distinct. The same goes for $y_{i}$ and $z_{i}$.
Given $n$, find any beautiful set having a maximum number of elements. Then print the cardinality of $S$ (i.e., $|S|$ ) on a new line, followed by $|S|$ lines where each line contains 3 space-separated integers describing the respective values of $x_{i}, y_{i}$, and $z_{i}$.

## Input Format

A single integer, $n$.

## Constraints

$$
\text { - } 1 \leq n \leq 300
$$

## Output Format

On the first line, print the cardinality of $S$ (i.e., $|S|$ ).
For each of the $|S|$ subsequent lines, print three space-separated numbers per line describing the respective values of $x_{i}, y_{i}$, and $z_{i}$ for triple $i$ in $S$.

## Sample Input

```
3
```


## Sample Output

$\square$

## Explanation

In this case, $n=3$. We need to construct a set, $S$, of non-negative integer triples ( $x_{i}, y_{i}, z_{i}$ ) where $x_{i}+y_{i}+z_{i}=n$. $S$ has the following triples:

1. $\left(x_{1}, y_{1}, z_{1}\right)=(0,1,2)$
2. $\left(x_{2}, y_{2}, z_{2}\right)=(2,0,1)$

We then print the cardinality of this set, $|S|=3$, on a new line, followed by 3 lines where each line contains three space-separated values describing a triple in $S$.

