## Best spot

In Chile, land are partitioned into a one large grid, where each element represents a land of size $1 \times 1$.

Shaka is a newcomer in Chile and is trying to start his own business. He is planning to build a store. He has his own ideas for the "perfect store" which can be represented by a HxW grid. Element at position (i, $j)$ represents height of land at index $(i, j)$ in the grid.

Shaka has purchased a land area which can be represented $R x C$ grid ( $H<=R, W<=C$ ). Shaka is interested in finding best $H x W$ sub-grid in the acquired land. In order to compare the possible sub-grids, Shaka will be using the sum of squared difference between each cell of his "perfect store" and it's corresponding cell in the subgrid. Amongst all possible sub-grids, he will choose the one with smallest such sum.

## Note

- The grids are 1 -indexed and rows increase from top to bottom and columns increase from left to right.
- If $x$ is the height of a cell in the "perfect store" and $y$ is the height of the corresponding cell in a subgrid of the acquired land, then the squared difference is defined as $(x-y)^{2}$


## Input Format

The first line of the input consists of two integers, $R C$, separated by single space.
Then $R$ lines follow, each one containing $C$ space separated integers, which describe the height of each land spot of the purchased land.
The next line contains two integers, $H W$, separated by a single space, followed by $H$ lines with $W$ space separated integers, which describes the "perfect store".

## Constraints

$1<=R, C<=500$
$1<=H<=R$
$1<=W<=C$
No height will have an absolute value greater than 20.

## Output Format

In the first line, output the smallest possible sum (as defined above) Shaka can find on exploring all the sub-grids (of size $H \times W$ ) in the purchased land.
In second line, output two space separated integers, $i j$, which represents the index of top left corner of sub-grid (on the acquired land) with the minimal such sum. If there are multiple sub-grids with minimal sum, output the one with the smaller row index. If there are still multiple sub-grids with minimal sum, output the one with smaller column index.

## Sample Input

## Sample Output

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937
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22

## Explanation

The result is computed as follows: $(8-(-18))^{2}+(-14-(-12))^{2}+(-11-(-10))^{2}+(9-(-7))^{2}=937$

