## Crab Graphs

A crab is an undirected graph which has two kinds of vertices: 1 head, and K feet, and exactly K edges which join the head to each of the feet. ( $1<=\mathrm{K}<=\mathrm{T}$, where T is given)

Given an undirected graph, you have to find in it some vertex-disjoint subgraphs where each one is a crab. The goal is to select those crabs in such a way that the total number of vertices covered by them is maximized.

Note: two graphs are vertex-disjoint if they do not have any vertices in common.

## Input Format

The first line of input contains a single integer C. C test-cases follow. The first line of each test-case contains three integers $\mathrm{N}, \mathrm{T}$, and M (the number of nodes, max number of feet in the crab graph, and number of edges, respectively). Each of next $M$ lines contains two space separated values v1i, v2i meaning that the there is an edge between vertices v 1 i and v 2 i . Note that the graph doesn't have parallel edges or loops.

## Constraints

- $1<=C<=10$
- $2<=\mathrm{T}<=100$
- $2<=\mathrm{N}<=100$
- $0<=\mathrm{M}<=\mathrm{N} *(\mathrm{~N}-1) / 2$
- $1<=\mathrm{v} 1 \mathrm{i}<=\mathrm{N}$
- $1<=\mathrm{v} 2 \mathrm{i}<=\mathrm{N}$


## Output Format

For each test-case, output a single integer indicating the maximum number of vertices which can be covered by vertex-disjoint sub-graphs of crab- graphs.

## Sample Input

## Sample Output

6
6

## Explanation

Test \#1: The graph for this test-case below. Because $T=2$, each crab can have a maximum of 2 feet $=>$ each crab can cover a maximum of 3 nodes. We can cover 6 nodes of this graph with these two crabs: One of the crabs has 4 as its head and 1 and 3 as its feet, the other crab has 5 as its head and 7 and 8 as its feet. No additional crabs can be added.

The above is not a unique solution: any combination of two crabs, with one head at 4 and one head at 5, will suffice. We could have also chosen Head[4]feet[1,2] and Head[5]feet[6,7] as our two crabs.


Test \#2: The graph for this test-case below. We can cover all 6 nodes using two crabs. One of the crabs has 2 as its head and 1 and 3 as its feet, the other crab has 5 as its head and 4 and 6 as its feet.


