

Let $D(X)$ be a function that calculates the digit product of X in base **10** without leading zeros. For instance:

$$\begin{aligned} D(0) &= 0 \\ D(234) &= 2 \times 3 \times 4 = 24 \\ D(104) &= 1 \times 0 \times 4 = 0 \end{aligned}$$

You are given three positive integers A, B and K . Determine how many integers exist in the range $[A, B]$ whose digit product equals K . Formally speaking, you are required to count the number of distinct integer solutions of X where $A \leq X \leq B$ and $D(X) = K$.

Input Format

The first line contains T , the number of test cases.
The next T lines each contain three positive integers: A, B and K , respectively.

Constraints

$$\begin{aligned} T &\leq 10000 \\ 1 &\leq A \leq B \leq 10^{100} \\ 1 &\leq K \leq 10^{18} \end{aligned}$$

Output Format

For each test case, print the following line:

Case X : Y

X is the test case number, starting at **1**.
 Y is the number of integers in the interval $[A, B]$ whose digit product is equal to K .

Because Y can be a huge number, print it modulo $(10^9 + 7)$.

Sample Input

```
2
1 9 3
7 37 6
```

Sample Output

```
Case 1: 1
Case 2: 3
```

Explanation

In the first test case, there is only one number (**3**) in the interval $[1, 9]$.

In the second test case, there are three numbers **(16, 23, 32)** in the interval **[7, 37]** whose digit product equals **6**.