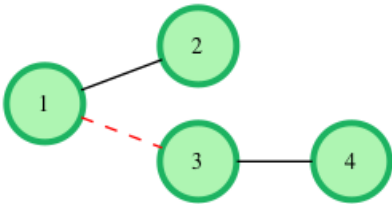


You are given a tree (a simple connected graph with no cycles).

Find the maximum number of edges you can remove from the tree to get a **forest** such that each connected component of the forest contains an even number of nodes.

As an example, the following tree with **4** nodes can be cut at most **1** time to create an even forest.



Function Description

Complete the `evenForest` function in the editor below. It should return an integer as described.

`evenForest` has the following parameter(s):

- `t_nodes`: the number of nodes in the tree
- `t_edges`: the number of undirected edges in the tree
- `t_from`: start nodes for each edge
- `t_to`: end nodes for each edge, (Match by index to `t_from`.)

Input Format

The first line of input contains two integers t_nodes and t_edges , the number of nodes and edges. The next t_edges lines contain two integers $t_from[i]$ and $t_to[i]$ which specify nodes connected by an edge of the tree. The root of the tree is node 1.

Constraints

- $2 \leq n \leq 100$
- $n \in \mathbb{Z}_{\text{even}}^+$

Note: The tree in the input will be such that it can always be decomposed into components containing an even number of nodes. $\mathbb{Z}_{\text{even}}^+$ is the set of positive even integers.

Output Format

Print the number of removed edges.

Sample Input 0

```
10 9
2 1
3 1
```

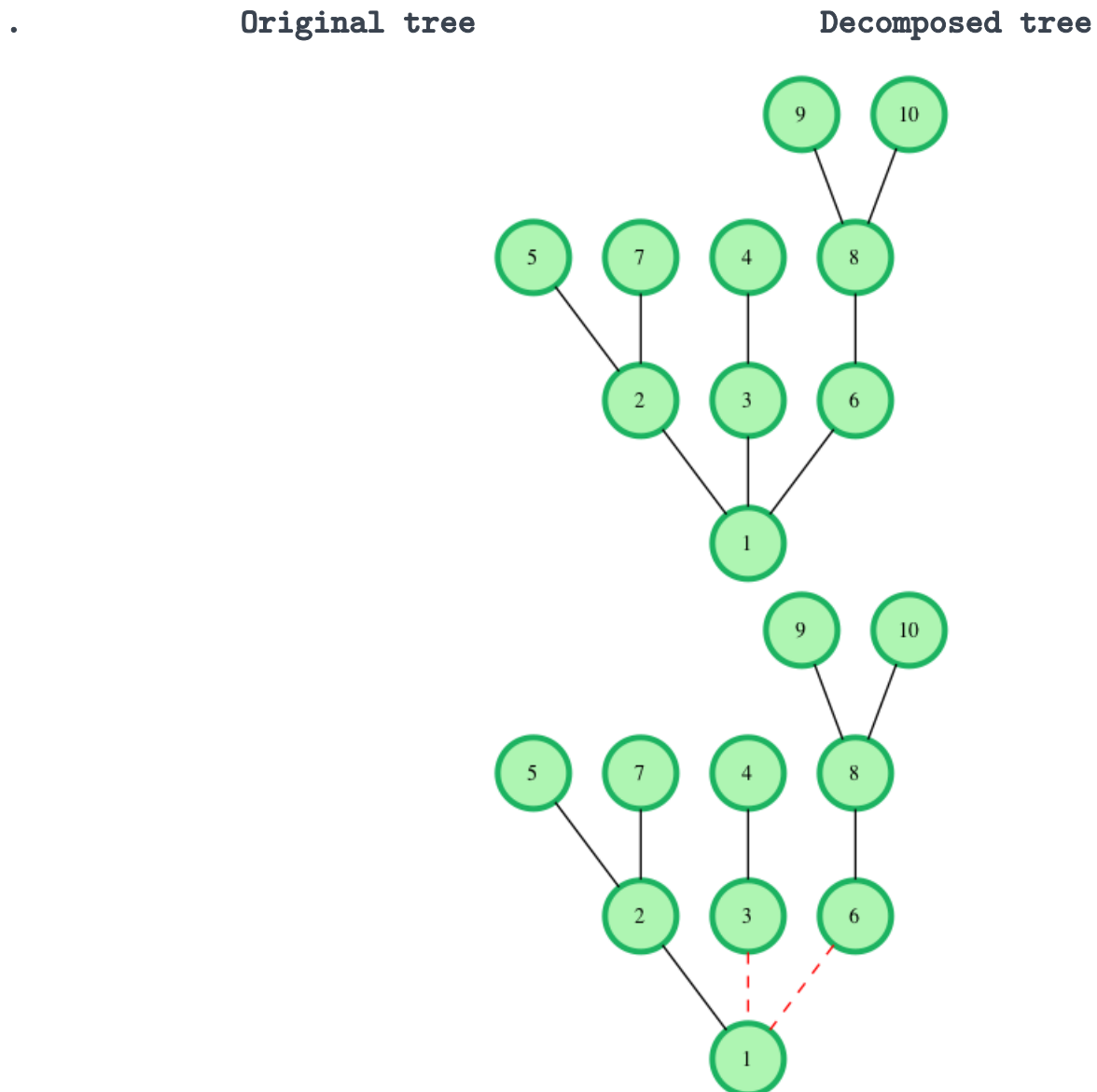
4 3
5 2
6 1
7 2
8 6
9 8
10 8

Sample Output 0

2

Explanation 0

Remove edges (1,3) and (1,6) to get the desired result.



No more edges can be removed.