## Fairy Chess

## Let's play Fairy Chess!

You have an $n \times n$ chessboard. An $s$-leaper is a chess piece which can move from some square $\left(x_{0}, y_{0}\right)$ to some square $\left(x_{1}, y_{1}\right)$ if $a b s\left(x_{0}-x_{1}\right)+a b s\left(y_{0}-y_{1}\right) \leq s$; however, its movements are restricted to up $(\uparrow)$, down $(\downarrow)$, left $(\leftarrow)$, and right $(\rightarrow)$ within the confines of the chessboard, meaning that diagonal moves are not allowed. In addition, the leaper cannot leap to any square that is occupied by a pawn.

Given the layout of the chessboard, can you determine the number of ways a leaper can move $m$ times within the chessboard?

Note: $a b s(x)$ refers to the absolute value of some integer, $x$.

## Input Format

The first line contains an integer, $q$, denoting the number of queries. Each query is described as follows:

1. The first line contains three space-separated integers denoting $n, m$, and $s$, respectively.
2. Each line $i$ of the $n$ subsequent lines contains $n$ characters. The $j^{\text {th }}$ character in the $i^{\text {th }}$ line describes the contents of square $(i, j)$ according to the following key:

- . indicates the location is empty.
- $P$ indicates the location is occupied by a pawn.
- L indicates the location of the leaper.


## Constraints

- $1 \leq q \leq 10$
- $1 \leq m \leq 200$
- There will be exactly one $L$ character on the chessboard.
- The $s$-leaper can move up $(\uparrow)$, down $(\downarrow)$, left $(\leftarrow)$, and right $(\rightarrow)$ within the confines of the chessboard. It cannot move diagonally.


## Output Format

For each query, print the number of ways the leaper can make $m$ moves on a new line. Because this value can be quite large, your answer must be modulo $10^{9}+7$.

## Sample Input 0

.
432
....
. . . L
. . P.
P...

## Sample Output 0

```
4
11
385
```


## Explanation 0

You must perform two queries, outlined below. The green cells denote a cell that was leaped to by the leaper, and coordinates are defined as (row, column).

1. The leaper can leap to the following locations:

| $(1,1) \rightarrow(1,1)$ |  |  |  | $(1,1) \rightarrow(1,0)$ |  |  |  |  | $(1,1) \rightarrow(0,1)$ |  |  |  |  |  | $(1,1) \rightarrow(1,2)$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 |  | 23 |  | 1 | 2 |  | 3 |  | 1 |  | 2 | 3 |  |  |  | 1 | 2 |  |  |
| 0 |  |  |  | 0 |  |  |  |  | 0 |  |  |  |  |  | 0 |  |  |  |  |  |
| 1 | L |  |  | 1 | L |  |  |  | 1 | L | L |  |  |  | 1 |  | L |  |  |  |
| 2 | P |  |  | 2 | P |  |  |  | 2 | P | P |  |  |  | 2 |  | P |  |  |  |
| 3 |  |  |  | 3 |  |  |  |  | 3 |  |  |  |  |  | 3 |  |  |  |  |  |

Observe that the leaper cannot leap to the square directly underneath it because it's occupied by a pawn. Thus, there are 4 ways to make 1 move and we print 4 on a new line.
2. The leaper can leap to the following locations:


Thus, we print 11 on a new line.
Note: Don't forget that your answer must be modulo $10^{9}+7$.

