Shashank loves trees and math. He has a rooted tree, $T$, consisting of $N$ nodes uniquely labeled with integers in the inclusive range $[1, N]$. The node labeled as 1 is the root node of tree $T$, and each node in $T$ is associated with some positive integer value (all values are initially 0 ).

Let's define $F_{k}$ as the $k^{t h}$ Fibonacci number. Shashank wants to perform 2 types of operations over his tree, $T$ :

1. $U X k$

Update the subtree rooted at node $X$ such that the node at level 0 in subtree $X$ (i.e., node $X$ ) will have $F_{k}$ added to it, all the nodes at level 1 will have $F_{k+1}$ added to them, and so on. More formally, all the nodes at a distance $D$ from node $X$ in the subtree of node $X$ will have the $(k+D)^{t h}$ Fibonacci number added to them.
2. $Q X Y$

Find the sum of all values associated with the nodes on the unique path from $X$ to $Y$. Print your sum modulo $10^{9}+7$ on a new line.

Given the configuration for tree $T$ and a list of $M$ operations, perform all the operations efficiently.
Note: $F_{1}=F_{2}=1$.

## Input Format

The first line contains 2 space-separated integers, $N$ (the number of nodes in tree $T$ ) and $M$ (the number of operations to be processed), respectively.
Each line $i$ of the $N-1$ subsequent lines contains an integer, $P$, denoting the parent of the $(i+1)^{\text {th }}$ node.
Each of the $M$ subsequent lines contains one of the two types of operations mentioned in the Problem Statement above.

## Constraints

- $1 \leq N, M \leq 10^{5}$
- $1 \leq X, Y \leq N$
- $1 \leq k \leq 10^{15}$


## Output Format

For each operation of type 2 (i.e., $Q$ ), print the required answer modulo $10^{9}+7$ on a new line.

## Sample Input

1

```
L
```


## Sample Output



## Explanation

Intially, the tree looks like this:


After update operation 1 1, it looks like this:


After update operation 2 2, it looks like this:


