

Kundu is true tree lover. Tree is a connected graph having N vertices and $N-1$ edges. Today when he got a tree, he colored each edge with one of either red(r) or black(b) color. He is interested in knowing how many triplets(a,b,c) of vertices are there , such that, there is atleast one edge having red color on all the three paths i.e. from vertex a to b , vertex b to c and vertex c to a . Note that (a,b,c) , (b,a,c) and all such permutations will be considered as the same triplet.

If the answer is greater than $10^9 + 7$, print the answer modulo $(\%)\ 10^9 + 7$.

Input Format

The first line contains an integer N , i.e., the number of vertices in tree.
The next $N-1$ lines represent edges: 2 space separated integers denoting an edge followed by a color of the edge. A color of an edge is denoted by a small letter of English alphabet, and it can be either red(r) or black(b).

Output Format

Print a single number i.e. the number of triplets.

Constraints

$1 \leq N \leq 10^5$
A node is numbered between 1 to N .

Sample Input

```
5
1 2 b
2 3 r
3 4 r
4 5 b
```

Sample Output

```
4
```

Explanation

Given tree is something like this.



$(2,3,4)$ is one such triplet because on all paths i.e 2 to 3, 3 to 4 and 2 to 4 there is atleast one edge having red color.
 $(2,3,5)$, $(1,3,4)$ and $(1,3,5)$ are other such triplets.
Note that $(1,2,3)$ is NOT a triplet, because the path from 1 to 2 does not have an edge with red color.

