Little Gaurav is very fond of numbers and sequences. One day his teacher tells him to find a strange sequence.

$$
S=\sum_{i=0,2^{i} \leq n}^{\infty} \sum_{j=0}^{n} 2^{2^{i}+2 j}
$$

Since this sequence looks a bit difficult, the teacher tells him to find the last digit of $S$.
Little Gaurav is confused because he cannot solve the problem and leaves this problem to the worthy programmers of the world. Help little Gaurav in finding the solution.

## Input Format

The first line contains $T$, the number of test cases.
$T$ lines follow, each line containing an integer, $N$.

## Output Format

For each testcase, print the last digit of $S$ in one line.

## Constraints

$1 \leq T \leq 1000$
$1 \leq N \leq 10^{15}$

## Sample Input

```
3
1
2
3
```


## Sample Output

## Explanation

For $\mathrm{n}=1$, only $\mathrm{i}=0$ is valid. So S is $2^{2^{0}+0}+2^{2^{0}+2}=10$. Hence last digit of S is 0 .
For $\mathrm{n}=2$, only $\mathrm{i}=0$ and 1 are valid. So S is
S 1 (for $\mathrm{i}=0$ ) is $2^{2^{0}+0}+2^{2^{0}+2}+2^{2^{0}+4}=42$.
S 2 (for $\mathrm{i}=1$ ) is $2^{2^{1}+0}+2^{2^{1}+2}+2^{2^{1}+4}=84$.
So last digit of $S$ is 6 .

