## Maximizing the Function

Consider an array of $n$ binary integers (i.e., 0 's and 1 's) defined as $A=\left[a_{0}, a_{1}, \ldots, a_{n-1}\right]$.
Let $f(i, j)$ be the bitwise XOR of all elements in the inclusive range between index $i$ and index $j$ in array $A$. In other words, $f(i, j)=a_{i} \oplus a_{i+1} \oplus \ldots \oplus a_{j}$. Next, we'll define another function, $g$ :

$$
g(x, y)=\sum_{i=x}^{y} \sum_{j=i}^{y} f(i, j)
$$

Given array $A$ and $q$ independent queries, perform each query on $A$ and print the result on a new line. A query consists of three integers, $x, y$, and $k$, and you must find the maximum possible $g(x, y)$ you can get by changing at most $k$ elements in the array from 0 to 1 or from 1 to 0 .

Note: Each query is independent and considered separately from all other queries, so changes made in one query have no effect on the other queries.

## Input Format

The first line contains two space-separated integers denoting the respective values of $n$ (the number of elements in array $A$ ) and $q$ (the number of queries).
The second line contains $n$ space-separated integers where element $i$ corresponds to array element $a_{i}$ $(0 \leq i<n)$.
Each line $i$ of the $q$ subsequent lines contains 3 space-separated integers, $x_{i}, y_{i}$ and $k_{i}$ respectively, describing query $q_{i}(0 \leq i<q)$.

## Constraints

- $1 \leq n, q \leq 5 \times 10^{5}$
- $0 \leq a_{i} \leq 1$
- $0 \leq x_{i} \leq y_{i}<n$
- $0 \leq k_{i} \leq n$


## Subtask

- $1 \leq n, q \leq 5000$ and $0 \leq k_{i} \leq 1$ for $40 \%$ of the maximum score
- $n=5 \times 10^{5}, m=5 \times 10^{5}$ and $k_{i}=0$ for $20 \%$ of the maximum score


## Output Format

Print $q$ lines where line $i$ contains the answer to query $q_{i}$ (i.e., the maximum value of $g\left(x_{i}, y_{i}\right)$ if no more than $k_{i}$ bits are changed).

## Sample Input

## Sample Output

4
0

## Explanation

Given $A=[0,0,1]$, we perform the following $q=2$ queries:

1. If we change $a_{0}=0$ to 1 , then we get $A^{\prime}=[1,0,1]$ and $g(x=0, y=2)=4$.
2. In this query, $g(x=0, y=1)=0$.
