There is an infinite integer grid where $\mathbf{N}$ people live in $\mathbf{N}$ different houses. They decide to create a meeting point at one person's house.

From any given cell, all 8 adjacent cells can be reached in 1 unit of time, e.g. ( $x, y$ ) can be reached from $(x-1, y+1)$ in one unit of time. Find a common meeting place which minimizes the combined travel time of everyone.

## Input Format

A positive integer N that denotes N houses or people.
The following $N$ lines will contain two integers $x, y$ each that denote the coordinates of the respective house.

## Output Format

An integer, $\mathbf{M}$, that denotes the minimum combined travel time of everyone.

## Constraints

$\mathrm{N}<=10^{5}$
The absolute value of each co-ordinate in the input will be at most $10^{9}$
HINT: You may need 64-bit integer.

## Input \#1

```
4
0 1
5
3 1
40
```


## Output \#1

8

## Explanation

The houses will have a travel-sum of $11,13,8$, or 10.8 is the minimum.

## Input \#2

```
6
12 -14
-3 3
-14 7
-14 -3
2 -12
    -1 -6
```


## Output \#2:

