

Jim is doing his discrete maths homework which requires him to repeatedly calculate  ${}^nC_r$  (n choose r) for different values of n. Knowing that this is time consuming, he goes to his sister June for help. June, being a computer science student knows how to convert this into a computer program and generate the answers quickly. She tells him, by storing the lower values of  ${}^nC_r$  (n choose r), one can calculate the higher values using a very simple formula.

If you are June, how will you calculate  ${}^nC_r$  values for different values of n?

Since  ${}^nC_r$  values will be large you have to calculate them modulo  $10^9$ .

**Input Format**

The first line contains the number of test cases T.  
T lines follow each containing an integer n.

**Output Format**

For each n output the list of  ${}^nC_0$  to  ${}^nC_n$  each separated by a single space in a new line. If the number is large, print only the last 9 digits. i.e. modulo  $10^9$

**Constraints**

$1 \leq T \leq 200$   
 $1 \leq n < 1000$

**Sample Input**

```
3
2
4
5
```

**Sample Output**

```
1 2 1
1 4 6 4 1
1 5 10 10 5 1
```

**Explanation**

For 2 we can check  ${}^2C_0$   ${}^2C_1$  and  ${}^2C_2$  are 1, 2 and 1 respectively. The other inputs' answer follow similar pattern.