New Year Chaos



It is New Year's Day and people are in line for the Wonderland rollercoaster ride. Each person wears a sticker indicating their *initial* position in the queue from $\mathbf{1}$ to \mathbf{n} . Any person can bribe the person *directly in front* of them to swap positions, but they still wear their original sticker. One person can bribe at most two others.

Determine the minimum number of bribes that took place to get to a given queue order. Print the number of bribes, or, if anyone has bribed more than two people, print Too chaotic.

Example

$$q = [1, 2, 3, 5, 4, 6, 7, 8]$$

If person 5 bribes person 4, the queue will look like this: 1, 2, 3, 5, 4, 6, 7, 8. Only 1 bribe is required. Print 1.

$$q = [4, 1, 2, 3]$$

Person 4 had to bribe 3 people to get to the current position. Print $\frac{1}{100}$ chaotic.

Function Description

Complete the function *minimumBribes* in the editor below.

minimumBribes has the following parameter(s):

• *int q[n]*: the positions of the people after all bribes

Returns

• No value is returned. Print the minimum number of bribes necessary or **Too** chaotic if someone has bribed more than **2** people.

Input Format

The first line contains an integer t, the number of test cases.

Each of the next t pairs of lines are as follows:

- The first line contains an integer $oldsymbol{t}$, the number of people in the queue
- The second line has n space-separated integers describing the final state of the gueue.

Constraints

- $1 \le t \le 10$
- $1 < n < 10^5$

Subtasks

For 60% score $1 \leq n \leq 10^3$ For 100% score $1 \leq n \leq 10^5$

Sample Input

Sample Output

```
3
Too chaotic
```

Explanation

Test Case 1

The initial state:



After person 5 moves one position ahead by bribing person 4:



Now person 5 moves another position ahead by bribing person 3:



And person ${\bf 2}$ moves one position ahead by bribing person ${\bf 1}$:



So the final state is 2, 1, 5, 3, 4 after three bribing operations.

Test Case 2

No person can bribe more than two people, yet it appears person ${\bf 5}$ has done so. It is not possible to achieve the input state.