Implement a simple text editor. The editor initially contains an empty string, $S$. Perform $Q$ operations of the following 4 types:

1. append $(W)$ - Append string $W$ to the end of $S$.
2. delete $(k)$ - Delete the last $k$ characters of $S$.
3. $\operatorname{print}(k)$ - Print the $k^{t h}$ character of $S$.
4. undo() - Undo the last (not previously undone) operation of type 1 or 2 , reverting $S$ to the state it was in prior to that operation.

## Example



| operation |  |  |  |
| :---: | :---: | :---: | :---: |
| index | S | ops [index] | explanation |
| 0 | abcde | 1 fg | append fg |
| 1 | abcdefg | 36 | print the 6th letter - f |
| 2 | abcdefg | 25 | delete the last 5 letters |
| 3 | ab | 4 | undo the last operation, index 2 |
| 4 | abcdefg | 37 | print the 7th characgter - 9 |
| 5 | abcdefg | 4 | undo the last operation, index 0 |
| 6 | abcde | 34 | print the 4th character - d |

The results should be printed as:

```
f
g
d
```


## Input Format

The first line contains an integer, $Q$, denoting the number of operations.
Each line $i$ of the $Q$ subsequent lines (where $0 \leq i<Q$ ) defines an operation to be performed. Each operation starts with a single integer, $t$ (where $t \in\{1,2,3,4\}$ ), denoting a type of operation as defined in the Problem Statement above. If the operation requires an argument, $t$ is followed by its spaceseparated argument. For example, if $t=1$ and $W="$ abcd", line $i$ will be 1 abcd.

## Constraints

- $1 \leq Q \leq 10^{6}$
- $1 \leq k \leq|S|$
- The sum of the lengths of all $W$ in the input $\leq 10^{6}$.
- The sum of $k$ over all delete operations $\leq 2 \cdot 10^{6}$.
- All input characters are lowercase English letters.
- It is guaranteed that the sequence of operations given as input is possible to perform.

Output Format
Each operation of type 3 must print the $k^{\text {th }}$ character on a new line.

## Sample Input

```
STDIN Function
---- --------
Q = 8
abc ops[0] = '1 abc'
3 ops[1] = '3 3'
3 ...
xy
2
4
3 1
```


## Sample Output

## Explanation

Initially, $S$ is empty. The following sequence of 8 operations are described below:

1. $S=" "$. We append $a b c$ to $S$, so $S=" a b c "$.
2. Print the $3^{r d}$ character on a new line. Currently, the $3^{r d}$ character is c .
3. Delete the last 3 characters in $S(a b c)$, so $S="$.
4. Append $x y$ to $S$, so $S=" x y$ ".
5. Print the $2^{n d}$ character on a new line. Currently, the $2^{n d}$ character is $y$.
6. Undo the last update to $S$, making $S$ empty again (i.e., $S=" "$ ).
7. Undo the next to last update to $S$ (the deletion of the last 3 characters), making $S=$ "abc".
8. Print the $1^{\text {st }}$ character on a new line. Currently, the $1^{\text {st }}$ character is a.
