

There is a horizontal row of n cubes. The length of each cube is given. You need to create a new vertical pile of cubes. The new pile should follow these directions: if $cube[i]$ is on top of $cube[j]$ then $sideLength[j] \geq sideLength[i]$.

When stacking the cubes, you can only pick up either the leftmost or the rightmost cube each time. Print **Yes** if it is possible to stack the cubes. Otherwise, print **No**.

Example

$blocks = [1, 2, 3, 8, 7]$

Result: **No**

After choosing the rightmost element, **7**, choose the leftmost element, **1**. After than, the choices are **2** and **8**. These are both larger than the top block of size **1**.

$blocks = [1, 2, 3, 7, 8]$

Result: **Yes**

Choose blocks from right to left in order to successfully stack the blocks.

Input Format

The first line contains a single integer T , the number of test cases.
For each test case, there are **2** lines.
The first line of each test case contains n , the number of cubes.
The second line contains n space separated integers, denoting the $sideLengths$ of each cube in that order.

Constraints

$1 \leq T \leq 5$
 $1 \leq n \leq 10^5$
 $1 \leq sideLength < 2^{31}$

Output Format

For each test case, output a single line containing either **Yes** or **No**.

Sample Input

STDIN	Function
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2	T = 2
6	blocks[] size n = 6
4 3 2 1 3 4	blocks = [4, 3, 2, 1, 3, 4]
3	blocks[] size n = 3
1 3 2	blocks = [1, 3, 2]

Sample Output

Yes
No

Explanation

In the first test case, pick in this order: **left - 4, right - 4, left - 3, right - 3, left - 2, right - 1.**

In the second test case, no order gives an appropriate arrangement of vertical cubes. **3** will always come after either **1** or **2**.