## Powers Game

After their success in coming up with Fun Game, Kyle and Mike invented another game having the following rules:

- The game starts with an $n$-element sequence, $* 2^{1} * 2^{2} * 2^{3} * \ldots * 2^{n}$, and is played by two players, $P_{1}$ and $P_{2}$.
- The players move in alternating turns, with $P_{1}$ always moving first. During each move, the current player chooses one of the asterisks $(*)$ in the above sequence and changes it to either a + (plus) or a - (minus) sign.
- The game ends when there are no more asterisks $(*)$ in the expression. If the evaluated value of the sequence is divisible by 17 , then $P_{2}$ wins; otherwise, $P_{1}$ wins.

Given the value of $n$, can you determine the outcome of the game? Print First if $P_{1}$ will win, or Second if $P_{2}$ will win. Assume both players always move optimally.

## Input Format

The first line of input contains a single integer $T$, denoting the number of test cases. Each line $i$ of the $T$ subsequent lines contains an integer, $n$, denoting the maximum exponent in the game's initial sequence.

## Constraints

- $1 \leq T \leq 10^{6}$
- $1 \leq n \leq 10^{6}$


## Output Format

For each test case, print either of the following predicted outcomes of the game on a new line:

- Print First if $P_{1}$ will win.
- Print Second if $P_{2}$ will win.


## Sample Input

1
2

## Sample Output

```
First
```


## Explanation

In this case, it doesn't matter in which order the asterisks are chosen and altered. There are 4 different courses of action and, in each one, the final value is not divisible by 17 (so $P_{2}$ always loses and we print

First on a new line).

## Possible options:

1. $+2^{1}+2^{2}=6$
2. $+2^{1}-2^{2}=-2$
3. $-2^{1}+2^{2}=2$
4. $-2^{1}-2^{2}=-6$
