## Prefix Compression

You are in charge of data transfer between two Data Centers. Each set of data is represented by a pair of strings. Over a period of time you have observed a trend: most of the times both strings share some prefix. You want to utilize this observation to design a data compression algorithm which will be used to reduce amount of data to be transferred.

You are given two strings, $x$ and $y$, representing the data, you need to find the longest common prefix ( $p$ ) of the two strings. Then you will send substring $p, x^{\prime}$ and $y^{\prime}$, where $x^{\prime}$ and $y^{\prime}$ are the substring left after stripping $p$ from them.

For example, if $x=$ "abcdefpr" and $y=$ "abcpqr", then $p=" a b c ", x^{\prime}=" d e f p r ", y^{\prime}=" p q r "$.

## Input Format

The first line contains a single string denoting $x$.
The second line contains a single string denoting $y$.

## Constraints

- $x$ and $y$ will contain only lowercase Latin characters ('a'-'z').
- $1 \leq \operatorname{length}(x)$, length $(y) \leq 10^{5}$


## Output Format

In first line, print the length of substring $p$, followed by prefix $p$. In second line, print the length of substring $x^{\prime}$, followed by substring $x^{\prime}$. Similary in third line, print the length of substring $y^{\prime}$, followed by substring $y^{\prime}$.

## Sample Input 0

## abcdefpr

abcpqr

## Sample Output 0

```
3 abc
5 defpr
3 pqr
```


## Sample Input 1

```
kitkat
kit
```


## Sample Output 1

## Sample Input 2

puppy
puppy

## Sample Output 2

```
puppy
```

0
0

## Explanation

Sample Case 0:
Already explained above in the problem statement.
Sample Case 1:
$p=$ "kit", which is also $y$. So $x^{\prime}$ will be "kat" and $y^{\prime}$ will be an empty string.

## Sample Case 2:

Because both strings are the same, the prefix will cover both the strings. Thus, $x^{\prime}$ and $y^{\prime}$ will be empty strings.

