

Primitive Problem

We define a *primitive root* of prime number p to be some integer $g \in [1, p - 1]$ satisfying the property that all values of $g^x \bmod p$ where $x \in [0, p - 2]$ are different.

For example: if $p = 7$, we want to look at all values of g in the inclusive range from 1 to $p - 1 = 6$. For $g = 3$, the powers of $g^x \bmod p$ (where x is in the inclusive range from 0 to $p - 2 = 5$) are as follows:

- $3^0 = 1 \pmod{7}$
- $3^1 = 3 \pmod{7}$
- $3^2 = 2 \pmod{7}$
- $3^3 = 6 \pmod{7}$
- $3^4 = 4 \pmod{7}$
- $3^5 = 5 \pmod{7}$

Note that each of these evaluates to one of the six distinct integers in the range $[1, p - 1]$.

Given prime p , find and print the following values as two space-separated integers on a new line:

1. The smallest primitive root of prime p .
2. The total number of primitive roots of prime p .

Need Help? Check out a breakdown of this process at [Math Stack Exchange](#).

Input Format

A single prime integer denoting p .

Constraints

- $2 < p < 10^9$

Output Format

Print two space-separated integers on a new line, where the first value is the smallest primitive root of p and the second value is the total number of primitive roots of p .

Sample Input 0

7

Sample Output 0

Explanation 0

The primitive roots of $p = 7$ are **3** and **5**, and no other numbers in $[1, 6]$ satisfy our definition of a primitive root. We then print the smallest primitive root (**3**) followed by the total number of primitive roots (**2**).