

Day 1: Interquartile Range

Objective

In this challenge, we practice calculating the *interquartile range*. We recommend you complete the [Quartiles](#) challenge before attempting this problem.

Task

The interquartile range of an array is the difference between its first (Q_1) and third (Q_3) quartiles (i.e., $Q_3 - Q_1$).

Given an array, *values*, of n integers and an array, *freqs*, representing the respective frequencies of *values*'s elements, construct a data set, S , where each *values*[i] occurs at frequency *freqs*[i]. Then calculate and print S 's interquartile range, rounded to a scale of 1 decimal place (i.e., **12.3** format).

Tip: Be careful to not use integer division when averaging the middle two elements for a data set with an even number of elements, and be sure to *not* include the median in your upper and lower data sets.

Example

values = [1, 2, 3]
freqs = [3, 2, 1]

Apply the frequencies to the values to get the expanded array $S = [1, 1, 1, 2, 2, 3]$. Here *left* = [1, 1, 1], *right* = [2, 2, 3]. The median of the left half, $Q_1 = 1.0$, the middle element. For the right half, $Q_3 = 2.0$. Print the difference to one decimal place: $Q_3 - Q_1 = 2.0 - 1.0 = 1$, so print **1.0**.

Function Description

Complete the *interQuartile* function in the editor below.

interQuartile has the following parameters:

- *int values*[n]: an array of integers
- *int freqs*[n]: *values*[i] occurs *freqs*[i] times in the array to analyze

Prints

- *float*: the interquartile range to 1 place after the decimal

Input Format

The first line contains an integer, n , the number of elements in arrays *values* and *freqs*.
The second line contains n space-separated integers describing the elements of array *values*.
The third line contains n space-separated integers describing the elements of array *freqs*.

Constraints

- $5 \leq n \leq 50$
- $0 < \text{values}[i] \leq 100$

- $0 < \sum_{i=0}^{n-1} freqs[i] \leq 10^3$
- The number of elements in S is equal to $\sum freqs$.

Output Format

Print the *interquartile range* for the expanded data set on a new line. Round the answer to a scale of **1** decimal place (i.e., **12.3** format).

Sample Input

```
STDIN      Function
-----
6          arrays size n = 6
6 12 8 10 20 16 values = [6, 12, 8, 10, 20, 16]
5 4 3 2 1 5 freqs = [5, 4, 3, 2, 1, 5]
```

Sample Output

```
9.0
```

Explanation

The given data is:

Element	Frequency
6	5
12	4
8	3
10	2
20	1
16	5

First, we create data set S containing the data from set *values* at the respective frequencies specified by *freqs*:

$$S = \{6, 6, 6, 6, 6, 8, 8, 8, 10, 10, 12, 12, 12, 12, 16, 16, 16, 16, 16, 20\}$$

As there are an even number of data points in the original ordered data set, we will split this data set exactly in half:

Lower half (L): 6, 6, 6, 6, 6, 8, 8, 8, 10, 10

Upper half (U): 12, 12, 12, 12, 16, 16, 16, 16, 16, 20

Next, we find Q_1 . There are **10** elements in *lower* half, so Q_1 is the average of the middle two elements: **6** and **8**. Thus, $Q_1 = \frac{6+8}{2} = 7.0$.

Next, we find Q_3 . There are **10** elements in *upper* half, so Q_3 is the average of the middle two elements: **16** and **16**. Thus, $Q_3 = \frac{16+16}{2} = 16.0$.

From this, we calculate the interquartile range as $Q_3 - Q_1 = 16.0 - 7.0 = 9.0$ and print **9.0** as our answer.