Chinese Version
Russian Version
Tom and Derpina have a rectangular shaped chocolate bar with chocolates labeled T, D and U. They want to split the bar into exactly two pieces such that:

- Tom's piece can not contain any chocolate labeled D and similarly, Derpina's piece can not contain any chocolate labeled $T$ and $U$ can be used by either of the two.
- All chocolates in each piece must be connected (two chocolates are connected if they share an edge), i.e. the chocolates should form one connected component
- The absolute difference between the number of chocolates in pieces should be at most K
- After dividing it into exactly two pieces, in any piece, there should not be 4 adjacent chocolates that form a square, i.e. there should not be a fragment like this:
XX
XX


## Input Format

The first line of the input contains 3 integers $M, N$ and $K$ separated by a single space. $M$ lines follow, each of which contains $N$ characters. Each character is 'T','D' or 'U'.

## Constraints

$0 \leq M, N \leq 8$
$0 \leq K \leq M * N$

## Output Format

A single line containing the number of ways to divide the chocolate bar.

## Sample Input

```
2 4
UU
UU
```


## Sample Output

```
1 2
```


## Explanation

Note: In the explanation $T$ and $D$ are used to represent, which parts belong to Tom and Derpina respectively. There are $2^{4}=16$ possible separations. The 4 invalid are:

```
TT
TT
DD
DD
DT
TD
TD
DT
```

Some of the valid ones are:

```
TD
TD
TT
DD
    DD
    TT
    DT
DT
```

