# Shashank and the Palindromic Strings 

Shashank loves strings, but he loves palindromic strings the most. He has a list of $n$ strings, $A=\left[a_{0}, a_{1}, \ldots, a_{n-1}\right]$, where each string, $a_{i}$, consists of lowercase English alphabetic letters. Shashank wants to count the number of ways of choosing non-empty subsequences $s_{0}, s_{1}, s_{2}, \ldots, s_{n-1}$ such that the following conditions are satisfied:

1. $s_{0}$ is a subsequence of string $a_{0}, s_{1}$ is a subsequence of string $a_{1}, s_{2}$ is a subsequence of string $a_{2}$, $\ldots$..., and $s_{n-1}$ is a subsequence of string $a_{n-1}$.
2. $s_{0}+s_{1}+s_{2}+\ldots+s_{n-1}$ is a palindromic string, where + denotes the string concatenation operator.

You are given $q$ queries where each query consists of some list, $A$. For each query, find and print the number of ways Shashank can choose $n$ non-empty subsequences satisfying the criteria above, modulo $10^{9}+7$, on a new line.

Note: Two subsequences consisting of the same characters are considered to be different if their characters came from different indices in the original string.

## Input Format

The first line contains a single integer, $q$, denoting the number of queries. The subsequent lines describe each query in the following format:

- The first line contains an integer, $n$, denoting the size of the list.
- Each line $i$ of the $n$ subsequent lines contains a non-empty string describing $a_{i}$.


## Constraints

- $1 \leq q \leq 50$
- $1 \leq n \leq 50$
- $\sum_{i=0}^{n-1}\left|a_{i}\right| \leq 1000$ over a test case.

For $40 \%$ of the maximum score:

- $1 \leq n \leq 5$
- $\sum_{i=0}^{n-1}\left|a_{i}\right| \leq 250$ over a test case.


## Output Format

For each query, print the number of ways of choosing non-empty subsequences, modulo $10^{9}+7$, on a new line.

## Sample Input 0

## Sample Output 0

5
0
9

## Explanation 0

The first two queries are explained below:

1. We can choose the following five subsequences:
2. $s_{0}=$ "a", $s_{1}=" \mathrm{~b}$ ", $s_{2}=$ "a", where $s_{0}$ is the first character of $a_{0}$ and $s_{2}$ is the first character of $a_{2}$.
3. $s_{0}=" \mathrm{a}$ ", $s_{1}=$ "b", $s_{2}=$ "a", where $s_{0}$ is the second character of $a_{0}$ and $s_{2}$ is the second character of $a_{2}$.
4. $s_{0}=" \mathrm{a}$ ", $s_{1}=" \mathrm{~b}$ ", $s_{2}=" \mathrm{a}$ ", where $s_{0}$ is the first character of $a_{0}$ and $s_{2}$ is the second character of $a_{2}$.
5. $s_{0}=" \mathrm{a}$ ", $s_{1}=" \mathrm{~b}$ ", $s_{2}=$ "a", where $s_{0}$ is the second character of $a_{0}$ and $s_{2}$ is the first character of $a_{2}$.
6. $s_{0}=" \mathrm{aa} ", s_{1}=" \mathrm{~b} ", s_{2}=" \mathrm{aa} "$

Thus, we print the result of $5 \bmod \left(10^{9}+7\right)=5$ on a new line.
2. There is no way to choose non-empty subsequences such that their concatenation results in a palindrome, as each string contains unique characters. Thus, we print 0 on a new line.

