## Sherlock and MiniMax

Watson gives Sherlock an array of integers. Given the endpoints of an integer range, for all $M$ in that inclusive range, determine the minimum ( $\operatorname{abs}(\operatorname{arr}[i]-M)$ for all $1 \leq i \leq|\operatorname{arr}|)$ ). Once that has been determined for all integers in the range, return the $M$ which generated the maximum of those values. If there are multiple $M$ 's that result in that value, return the lowest one.

For example, your array $\operatorname{arr}=[3,5,7,9]$ and your range is from $p=6$ to $q=8$ inclusive.

|  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $M$ | $\|\operatorname{arr}[1]-\mathrm{M}\|$ | $\|\operatorname{arr}[2]-\mathrm{M}\|$ | $\|\operatorname{arr}[3]-\mathrm{M}\|$ | $\|\operatorname{arr}[4]-\mathrm{M}\|$ | Min |
| 6 | 3 | 2 | 0 | 3 | 1 |
| 7 | 4 | 3 | 1 | 0 | 1 |
| 8 | 5 |  | 1 |  |  |

We look at the Min column and see the maximum of those three values is 1 . Two $M$ 's result in that answer so we choose the lower value, 6 .

## Function Description

Complete the sherlockAndMinimax function in the editor below. It should return an integer as described.
sherlockAndMinimax has the following parameters:

- arr: an array of integers
- $p$ : an integer that represents the lowest value of the range for $M$
- $q$ : an integer that represents the highest value of the range for $M$


## Input Format

The first line contains an integer $n$, the number of elements in $\operatorname{arr}$.
The next line contains $n$ space-separated integers $\operatorname{arr}[i]$.
The third line contains two space-separated integers $p$ and $q$, the inclusive endpoints for the range of $M$.

## Constraints

$1 \leq n \leq 10^{2}$
$1 \leq \operatorname{arr}[i] \leq 10^{9}$
$1 \leq p \leq q \leq 10^{9}$

## Output Format

Print the value of $M$ on a line.

## Sample Input

```
3
5 8 14
49
```


## Sample Output

4

## Explanation

arr $=[5,8,14]$, range $=[4-9]$

| $M$ | $\|\operatorname{arr}[1]-\mathrm{M}\|$ | $\|\operatorname{arr}[2]-\mathrm{M}\|$ | $\|\operatorname{arr}[3]-\mathrm{M}\|$ | Min |
| :---: | :---: | :---: | :---: | :---: |
| 4 | 1 | 4 | 10 | 1 |
| 5 | 0 | 3 | 9 | 0 |
| 6 | 1 | 2 | 8 | 1 |
| 7 | 2 | 1 | 7 | 1 |
| 8 | 3 | 0 | 6 | 0 |
| 9 | 4 | 1 | 5 | 1 |

For $M=4,6,7$, or 9 , the result is 1 . Since we have to output the smallest of the multiple solutions, we print 4.

