You have a pile of $n$ stones that you want to split into multiple piles, as well as a set, $S$, of $m$ distinct integers. We define a move as follows:

- First, choose a pile of stones. Let's say that the chosen pile contains $y$ stones.
- Next, look for some $x \in S$ such that $x \neq y$ and $y$ is divisible by $x$ (i.e., $x$ is a factor of $y$ ); if such an $x$ exists, you can split the pile into $\frac{y}{x}$ equal smaller piles.

You are given $q$ queries where each query consists of $n$ and $S$. For each query, calculate the maximum possible number of moves you can perform and print it on a new line.

## Input Format

The first line contains an integer, $q$, denoting the number of queries. The $2 \cdot q$ subsequent lines describe each query in the following format:

1. The first line contains two space-separated integers describing the respective values of $n$ (the size of the initial pile in the query) and $m$ (the size of the set in the query).
2. The second line contains $m$ distinct space-separated integers describing the values in set $S$.

## Constraints

- $1 \leq q \leq 10$
- $1 \leq n \leq 10^{12}$
- $1 \leq m \leq 1000$
- $1 \leq s_{i} \leq 10^{12}$


## Subtask

- $1 \leq m \leq 10$ for $30 \%$ of the maximum score.


## Output Format

For each query, calculate the maximum possible number of moves you can perform and print it on a new line.

## Sample Input 0

```
1
12 3
2 34
```


## Sample Output 0

## Explanation 0

Initially there is a pile with 12 stones:


You can make a maximal 4 moves, described below:

- Select $x=4$ from $S$ and split it into $\frac{12}{4}=3$ equal piles of size 4 to get:

- Select $x=2$ from $S$ and split a pile of size 4 into $\frac{4}{2}=2$ equal piles of size 2 to get:

- Repeat the previous move again on another pile of size 4 to get:

- Repeat the move again on the last pile of size 4 to get:


As there are no more available moves, we print 4 (the number of moves) on a new line.

