Consider an array, $A$, of length $n$. We can split $A$ into contiguous segments called pieces and store them as another array, $B$. For example, if $A=[1,2,3]$, we have the following arrays of pieces:

- $B=[(1),(2),(3)]$ contains three 1 -element pieces.
- $B=[(1,2),(3)]$ contains two pieces, one having 2 elements and the other having 1 element.
- $B=[(1),(2,3)]$ contains two pieces, one having 1 element and the other having 2 elements.
- $B=[(1,2,3)]$ contains one 3 -element piece.

We consider the value of a piece in some array $B$ to be
(sum of all numbers in the piece) $\times$ (length of piece), and we consider the total value of some array $B$ to be the sum of the values for all pieces in that $B$. For example, the total value of $B=[(1,2,4),(5,1),(2)]$ is $(1+2+4) \times 3+(5+1) \times 2+(2) \times 1=35$.

Given $A$, find the total values for all possible $B$ 's, sum them together, and print this sum modulo $\left(10^{9}+7\right)$ on a new line.

## Input Format

The first line contains a single integer, $n$, denoting the size of array $A$.
The second line contains $n$ space-separated integers describing the respective values in $A$ (i.e., $\left.a_{0}, a_{1}, \ldots, a_{n-1}\right)$.

## Constraints

- $1 \leq n \leq 10^{6}$
- $1 \leq a_{i} \leq 10^{9}$


## Output Format

Print a single integer denoting the sum of the total values for all piece arrays ( $B^{\prime}$ s) of $A$, modulo $\left(10^{9}+7\right)$.

## Sample Input 0

```
3
136
```


## Sample Output 0

```
7 3
```


## Explanation 0

Given $A=[1,3,6]$, our piece arrays are:

- $B=[(1),(3),(6)]$, and total value $=(1) \times 1+(3) \times 1+(6) \times 1=10$.
- $B=[(1,3),(6)]$, and total value $=(1+3) \times 2+(6) \times 1=14$.
- $B=[(1),(3,6)]$, and total value $=(1) \times 1+(3+6) \times 2=19$.
- $B=[(1,3,6)]$, and total value $=(1+3+6) \times 3=30$.

When we sum all the total values, we get $10+14+19+30=73$. Thus, we print the result of $73 \bmod \left(10^{9}+7\right)=73$ on a new line.

## Sample Input 1

```
5
429101
```


## Sample Output 1

## 971

