## Unique Divide And Conquer

Divide-and-Conquer on a tree is a powerful approach to solving tree problems.
Imagine a tree, $t$, with $n$ vertices. Let's remove some vertex $v$ from tree $t$, splitting $t$ into zero or more connected components, $t_{1}, t_{2}, \ldots, t_{k}$, with vertices $n_{1}, n_{2}, \ldots, n_{k}$. We can prove that there is a vertex, $v$, such that the size of each formed components is at most $\left\lfloor\frac{n}{2}\right\rfloor$.

The Divide-and-Conquer approach can be described as follows:

- Initially, there is a tree, $t$, with $n$ vertices.
- Find vertex $v$ such that, if $v$ is removed from the tree, the size of each formed component after removing $v$ is at most $\left\lfloor\frac{n}{2}\right\rfloor$.
- Remove $v$ from tree $t$.
- Perform this approach recursively for each of the connected components.

We can prove that if we find such a vertex $v$ in linear time (e.g., using DFS), the entire approach works in $\mathcal{O}(n \cdot \log n)$. Of course, sometimes there are several such vertices $v$ that we can choose on some step, we can take and remove any of them. However, right now we are interested in trees such that at each step there is a unique vertex $v$ that we can choose.

Given $n$, count the number of tree $t$ 's such that the Divide-and-Conquer approach works determinately on them. As this number can be quite large, your answer must be modulo $m$.

## Input Format

A single line of two space-separated positive integers describing the respective values of $n$ (the number of vertices in tree $t$ ) and $m$ (the modulo value).

## Constraints

- $1 \leq n \leq 3000$
- $n<m \leq 10^{9}$
- $m$ is a prime number.


## Subtasks

- $n \leq 9$ for $40 \%$ of the maximum score.
- $n \leq 500$ for $70 \%$ of the maximum score.


## Output Format

Print a single integer denoting the number of tree $t$ 's such that vertex $v$ is unique at each step when applying the Divide-and-Conquer approach, modulo $m$.

## Sample Input 0

```
103
```


## Sample Output 0

1

## Explanation 0

For $n=1$, there is only one way to build a tree so we print the value of $1 \bmod 103=1$ as our answer.

## Sample Input 1

2103

## Sample Output 1

0

## Explanation 1

For $n=2$, there is only one way to build a tree:


This tree is not valid because we can choose to remove either node 1 or node 2 in the first step. Thus, we print 0 as no valid tree exists.

## Sample Input 2

3103

## Sample Output 2

3

## Explanation 2

For $n=3$, there are 3 valid trees depicted in the diagram below (the unique vertex removed in the first step is shown in red):


Thus, we print the value of $3 \bmod 103=3$ as our answer.
Sample Input 3

```
4103
```


## Sample Output 3

4

## Explanation 3

For $n=4$, there are 4 valid trees depicted in the diagram below (the unique vertex removed in the first step is shown in red):


The figure below shows an invalid tree with $n=4$ :


This tree is not valid because we can choose to remove node 2 or node 3 in the first step. Because we had four valid trees, we print the value of $4 \bmod 103=4$ as our answer.

