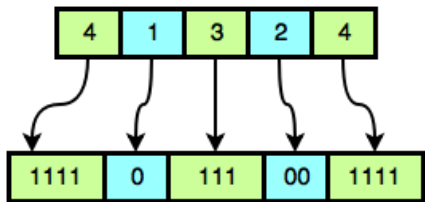


Johnny is playing with a large binary number, B . The number is so large that it needs to be compressed into an array of integers, A , where the values in *even indices* ($0, 2, 4, \dots$) represent some number of consecutive **1** bits and the values in *odd indices* ($1, 3, 5, \dots$) represent some number of consecutive **0** bits in alternating substrings of B .

For example, suppose we have array $A = \{4, 1, 3, 2, 4\}$. A_0 represents "1111", A_1 represents "0", A_2 represents "111", A_3 represents "00", and A_4 represents "1111". The number of consecutive binary characters in the i^{th} substring of B corresponds to integer A_i , as shown in this diagram:



When we assemble the sequential alternating sequences of 1's and 0's, we get $B = \text{"11110111001111"}$.

We define $setCount(B)$ to be the number of 1's in a binary number, B . Johnny wants to find a binary number, D , that is the smallest binary number $> B$ where $setCount(B) = setCount(D)$. He then wants to compress D into an array of integers, C (in the same way that integer array A contains the compressed form of binary string B).

Johnny isn't sure how to solve the problem. Given array A , find integer array C and print its length on a new line. Then print the elements of array C as a single line of space-separated integers.

Input Format

The first line contains a single positive integer, T , denoting the number of test cases. Each of the $2T$ subsequent lines describes a test case over 2 lines:

1. The first line contains a single positive integer, n , denoting the length of array A .
2. The second line contains n positive space-separated integers describing the respective elements in integer array A (i.e., $A_0, A_1, \dots, A_{n-1}$).

Constraints

- $1 \leq T \leq 100$
- $1 \leq n \leq 10$

Subtasks

- For a 50% score, $1 \leq A_i \leq 10^4$.
- For a 100% score, $1 \leq A_i \leq 10^{18}$.

Output Format

For each test case, print the following **2** lines:

- 1. Print the length of integer array C (the array representing the compressed form of binary integer D) on a new line.
- 2. Print each element of C as a single line of space-separated integers.

It is *guaranteed* that a solution exists.

Sample Input 0

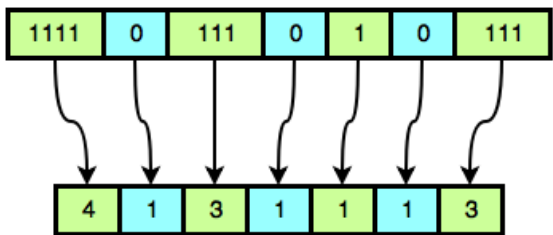
```
1
5
4 1 3 2 4
```

Sample Output 0

```
7
4 1 3 1 1 1 3
```

Explanation 0

$A = \{4, 1, 3, 2, 4\}$, which expands to $B = 11110111001111$. We then find $setCount(B) = 11$. The smallest binary number $> B$ which also has eleven 1's is $D = 11110111010111$. This can be reduced to the integer array $C = \{4, 1, 3, 1, 1, 1, 3\}$. This is demonstrated by the following figure:



Having found C , we print its length (**7**) as our first line of output, followed by the space-separated elements in C as our second line of output.